

# Search for $B \rightarrow \bar{p}e^-\bar{\nu}_e X$ decay using a partial reconstruction method

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## Abstract

Using data collected on the  $\Upsilon(4S)$  resonance and the nearby continuum by the CLEO detector at the Cornell Electron Storage Ring, we have searched for the semileptonic decay of  $B$  mesons to  $e\bar{\nu}$  inclusive final states. We obtain an upper limit for  $b \rightarrow c$  decays of  $\mathcal{B}(B \rightarrow \bar{p}e^-\bar{\nu}_e X) < 5.9 \times 10^{-4}$ . For the  $b \rightarrow u$  decay, we find an upper limit of  $\mathcal{B}(B^- \rightarrow p\bar{p}e^-\bar{\nu}_e) < 1.2 \times 10^{-3}$  based on a V-A model, while a phase space model gives an upper limit of  $\mathcal{B}(B^- \rightarrow p\bar{p}e^-\bar{\nu}_e) < 5.2 \times 10^{-3}$ . All upper limits are measured at the 90% confidence level.

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## I. INTRODUCTION

Semileptonic decays play a prominent role in  $B$  physics, because they are simple to understand theoretically and have been used to find  $B^0\overline{B}^0$  mixing [1] and the values of the CKM matrix elements:  $V_{cb}$  [3] and  $V_{ub}$  [2].

For many years there have been some mysteries in the  $B$  meson semileptonic decays. For example, the measured semileptonic branching fraction of  $B$  mesons [4, 5] is about 2% lower absolute (20% relative) than theoretical predictions [6]. Recently, there has been some progress made on both the experimental and theoretical fronts [7, 8, 9, 10], which gives values in better agreement with each other. More measurements are needed to improve the existing results as well as to precisely test the new theoretical calculations.

The majority of semileptonic  $B$  decays appear to proceed with single mesons accompanying the lepton-antineutrino pair. There is no experimental evidence for baryons in semileptonic  $B$  decay. Therefore, in this paper, we will focus on the search for these decay modes. Baryon production in  $B$  meson semileptonic decays requires the “popping” of two quark-antiquark pairs from the vacuum. For instance, in a  $B^-$  decay, the quark content of the baryons will be  $(cud)(\overline{uud})$  when  $b \rightarrow c$ , or  $(uud)(\overline{uud})$  when  $b \rightarrow u$ . The decay mode with the lightest mass  $b \rightarrow c$  final state including a proton would be  $B^- \rightarrow \Lambda_c^+ \overline{p} e^- \overline{\nu}_e$ . Other higher mass hadronic resonances could also contribute to semileptonic baryon decays with a final state having an electron and an antiproton. There is little guidance for the probable mix of states that might be available so we choose a model with a mixture of modes to study  $b \rightarrow c$  decays. For  $b \rightarrow u$  decays, the lightest mass final state would be either  $B^- \rightarrow p \overline{p} e^- \overline{\nu}_e$  or  $\overline{B}^0 \rightarrow p \overline{n} e^- \overline{\nu}_e$ . There is a large group of higher resonances possible. We choose to study only the  $B^- \rightarrow p \overline{p} e^- \overline{\nu}_e$  state in our  $b \rightarrow u$  studies.

A previous CLEO II measurement of the decay  $B^- \rightarrow \Lambda_c^+ \overline{p} e^- \overline{\nu}_e$  employed full reconstruction for  $\Lambda_c^+ \rightarrow p K^- \pi^+$  [11]. That analysis yielded an upper limit of

$$\frac{\mathcal{B}(B^- \rightarrow \Lambda_c^+ \overline{p} e^- \overline{\nu}_e)}{\mathcal{B}(\overline{B} \rightarrow \Lambda_c^+ \overline{p} X)} < 0.04 \quad (C.L. = 90\%).$$

This implies  $\mathcal{B}(B^- \rightarrow \Lambda_c^+ \overline{p} e^- \overline{\nu}_e) < 1.7 \times 10^{-3}$  ( $C.L. = 90\%$ ) using the PDG value for  $\overline{B} \rightarrow \Lambda_c^+ \overline{p} X$  [7]. There is also an upper limit on the inclusive rate of  $\mathcal{B}(B \rightarrow \overline{p} e^- \nu_e X) < 1.6 \times 10^{-3}$  ( $C.L. = 90\%$ ) [12] from ARGUS. There are no measurements of the  $B^- \rightarrow p \overline{p} e^- \overline{\nu}_e$  decay.

We perform partial reconstruction of the decay  $B \rightarrow \overline{p} e^- \overline{\nu}_e X$ , by identifying events with an  $e^-$  and  $\overline{p}$  emerging promptly from the  $B$  and examining the angular distributions between them.<sup>1</sup> Muons are not used in this analysis because they are only well-identified above 1.4 GeV/ $c$  momentum. Few signal leptons are expected at such momenta.

In Section II, we describe the data sample and event selection. The event selection criteria are tailored to search for the decay  $B^- \rightarrow \Lambda_c^+ \overline{p} e^- \overline{\nu}_e$ . We discuss the angular distribution of the signal and main sources of backgrounds in Section III. Section IV describes how we fit the data distribution for the  $b \rightarrow c$  modes. In Section V, we discuss the analysis for  $B^- \rightarrow p \overline{p} e^- \overline{\nu}_e$ . The last section summarizes our results.

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<sup>1</sup> Throughout this paper, charge conjugate states are implied.

## II. DATA SAMPLE AND EVENT SELECTION

The analysis described here is based on the data recorded with the CLEO detector at the Cornell Electron Storage Ring (CESR). The CLEO detector [13] is a general purpose detector that provides charged particle tracking, precision electromagnetic calorimetry, charged particle identification and muon detection. Charged particle detection over 95% of the solid angle is achieved by tracking devices in two different configurations. In the first configuration (CLEO II), tracking is provided by three concentric wire chambers while in the second configuration (CLEO II.V), the innermost wire chamber is replaced by a precision three-layer silicon vertex detector [14] and the drift chamber gas was changed from 50-50%  $Ar - C_2H_6$  to 60-40%  $He - C_3H_8$ . Energy loss ( $dE/dx$ ) in the outer drift chamber and hits in the time of flight system just beyond it provide information on particle identification. Photon and electron showers are detected over 98% of  $4\pi$  steradians in an array of 7800 CsI scintillation counters. The electromagnetic energy resolution is found to be  $\delta E/E = 0.0035/E^{0.75} + 0.019 - 0.001E$  ( $E$  in GeV) in the central region, corresponding to the polar angle of a track's momentum vector with respect to the  $z$  axis (beam line),  $45^\circ < \theta_{dip} < 135^\circ$ . A magnetic field of 1.5 T is provided by a superconducting coil which surrounds the calorimeter and tracking chambers.

A total integrated luminosity of  $9.1 \text{ fb}^{-1}$  was collected by the CLEO II and CLEO II.V configurations at the center-of-mass energy corresponding to the  $\Upsilon(4S)$ , corresponding to  $(9.7 \pm 0.2) \times 10^6 B\bar{B}$  pairs. An additional integrated luminosity of  $4.6 \text{ fb}^{-1}$  taken at energies 60 MeV below the  $B\bar{B}$  threshold provides an estimate of the continuum background events due to  $e^+e^- \rightarrow q\bar{q}$ , where  $q = u, d, s, c$ .

All events considered pass the standard CLEO hadronic event criteria, which require at least 3 well-reconstructed charged tracks, a total visible energy of at least 15% of the center of mass energy and an event vertex consistent with the known  $e^+e^-$  interaction point. In order to remove  $e^+e^- \rightarrow q\bar{q}$  continuum contributions, the ratio of the second to zeroth Fox-Wolfram moments [15] is required to be less than 0.35.

Charged electron and antiproton candidates are selected from tracks that are well-reconstructed, and not identified as a muon. We accept only those charged tracks that are observed in the barrel region of the detector, which corresponds to  $|\cos(\theta_{dip})| < 0.7071$ . Electrons with momenta between 0.6 GeV/ $c$  and 1.5 GeV/ $c$  are identified by requiring that the ratio of their energy deposited in the CsI calorimeter and their momentum measured in the tracking system be close to unity and that the ionization energy loss measured by the tracking system be consistent with the electron hypothesis. The ratio of the log of the likelihood for the electron hypothesis to that for a hadron is required to be greater than 3. Electrons within the fiducial volume in this momentum range are identified with an efficiency of  $\sim 94\%$ . Where possible, electrons from  $\gamma$  conversion,  $\pi^0$  Dalitz decays, and  $J/\psi$  decays are explicitly vetoed by cuts on the appropriate invariant mass distribution. Antiprotons with momentum between 0.2 GeV/ $c$  and 1.5 GeV/ $c$  are identified using the combined information from  $dE/dx$  and TOF measurements. Antiproton candidates must lie within 3.0 standard deviations ( $\sigma$ ) of the antiproton hypothesis and outside of  $2.0 \sigma$  for each of the kaon and pion hypotheses.

To suppress correlated background (see below) of the  $B$ , we perform a primary vertex ( $e^+e^-$  interaction point) constrained fit to the combinations of the electron and antiproton. The fit is required to have a  $\chi^2$  per degree of freedom less than 10.

### III. PARTIAL RECONSTRUCTION TECHNIQUE

We study the angular correlations between the prompt electron and antiproton. If we define  $\theta$  as the angle between the electron and the antiproton, the corresponding  $\cos(\theta)$  distribution is peaked at  $\cos(\theta) = -1$  (back-to-back) for signal events. Figure 1 shows the  $\cos(\theta)$  distributions for  $B^- \rightarrow \Lambda_c^+ \bar{p} e^- \bar{\nu}_e$  signal events and various backgrounds. We will use the difference between the signal and background shapes in this distribution to fit for the amount of signal in our sample.

There are four main sources of backgrounds as follows:

- **Uncorrelated background:**  
This includes the  $e/\bar{p}$  combinations where the electron and antiproton are from opposite  $B$  meson decays (see Figure 1(b)). The  $\cos(\theta)$  distribution of this background is almost flat, modulo a fiducial acceptance correction as seen from Monte Carlo.
- **Correlated background:**  
This includes non-prompt  $e/\bar{p}$  combinations, which are from the same  $B$  meson but not from a signal event, such as in the decay chain:  $B^+ \rightarrow \Lambda_c^- X$ ,  $\Lambda_c^- \rightarrow \bar{\Lambda} e^- X$ ,  $\bar{\Lambda} \rightarrow \bar{p} X$  (see Figure 1(c)). The  $\cos(\theta)$  distribution of this background as found from Monte Carlo is also peaked near  $\cos(\theta) \simeq -1$ , but less sharply than signal.
- **Continuum background:**  
This is the background due to non- $B\bar{B}$  sources, *i.e.*  $e^+e^- \rightarrow q\bar{q}$ , where  $q = u, d, s, c$  (see Figure 1(d)) found using data collected at energies below the  $\Upsilon(4S)$ .
- **Fake  $e/\bar{p}$  background:**  
This is due to particles misidentified as electrons or antiprotons and is found using data.

We obtain the overall  $e/\bar{p}$  angular distributions, *i.e.*  $\cos(\theta)$  distributions between electrons and antiprotons, for each of the CLEO II and CLEO II.V datasets separately and then combine them. The  $e/\bar{p}$  angular distribution found from the off-resonance data sample is scaled by luminosity and the energy dependent four-flavor cross section and then subtracted (the scale factor is approximately 2). We subtract the fake electron and antiproton backgrounds using data distributions as described below. After these subtractions, the angular distribution is composed of uncorrelated background, correlated background, and possibly signal. Using Monte Carlo generated shapes for each of these contributions, we fit to a sum of these three components to determine the yield of the signal events. Table I gives the overall yields for the two data samples.

The subtractions of the misidentified electron and misidentified antiproton backgrounds follow similar procedures, described here for the fake electrons. The fake electron angular distribution is found using the following equation:

$$fbkgd(\theta) = \sum_{p=0.6}^{1.5} \sum_i fdist(\cos(\theta), p) \times misid_{i,p}.$$

Here  $\cos(\theta)$  is the angle between the antiproton and fake electron,  $p$  is the momentum of the fake electron (in GeV/c),  $i = \pi, K, p, \mu$ ;  $fbkgd$  is the  $\cos(\theta)$  distribution of  $e/\bar{p}$  combinations that contain a fake electron, *i.e.* the fake electron background;  $fdist$  is the angular

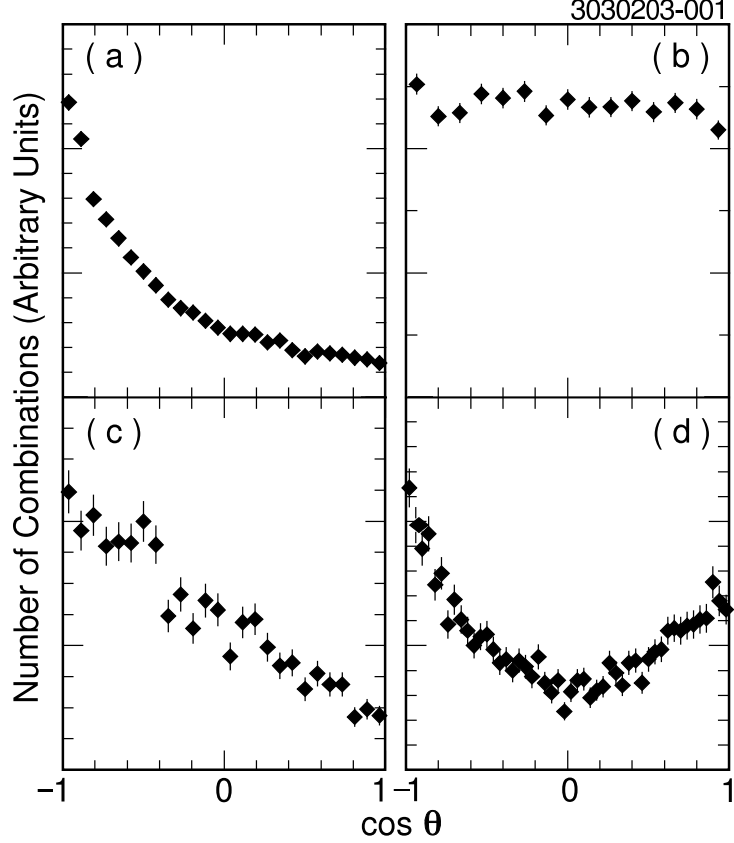


FIG. 1: Distribution of the cosine of the angle between same sign electrons and antiprotons ( $\cos \theta$ ). Plot (a) shows  $e/\bar{p}$  signal combinations from  $B^- \rightarrow \Lambda_c^+ \bar{p} e^- \bar{\nu}_e$  decay; plot (b) shows uncorrelated background; plot (c) shows correlated background. Plots (a), (b), and (c) are obtained using the CLEO  $B\bar{B}$  Monte Carlo generator. Plot (d) shows continuum backgrounds obtained from data.

distribution of non-electrons in each momentum range (obtained by processing data with an electron anti-identification cut); and  $misid_{i,p}$  is the electron misidentification probability as a function of momentum, which is calculated by multiplying the abundance of each particle species (found in Monte Carlo) by its corresponding electron misidentification rate (obtained from data) in each momentum range. The electron and positron misidentification probabilities are less than 0.3% per track so there is very little background from this source. The proton and antiproton misidentification probabilities range from 0.2% per track at lower momenta to 3% per track at higher momenta. The statistical error associated with particle abundance and misidentification rates is determined by the data and Monte Carlo sample sizes, and included in the statistical error from the fit to the final  $e/\bar{p}$  angular distribution.

We use the CLEO  $B\bar{B}$  Monte Carlo to obtain the uncorrelated and correlated background angular distribution shapes. For the signal, the angular distribution shapes as well as the efficiency of our event selection are found using the standard CLEO Monte Carlo event generator as well as a phase space generator. The CLEO Monte Carlo generator (hereafter referred to as “V-A model”) generates a decay such as  $B^- \rightarrow \Lambda_c^+ \bar{p} e^- \bar{\nu}_e$  in two steps. The first step is the semileptonic decay of  $b \rightarrow cW$ ,  $W \rightarrow \ell \bar{\nu}_\ell$ , preserving the V-A structure of the weak decay. This step involves a three body decay, with three initial particles produced:

TABLE I: Yields of events from the CLEO II and CLEO II.V data samples, integrated over the entire angular distribution. The last row shows the yield after subtracting the continuum and fake backgrounds.

Event Type	CLEO II	CLEO II.V
$B\bar{B}$ Events	$3,328,000 \pm 67,000$	$6,372,000 \pm 127,000$
Overall $e/\bar{p}$ Combinations	$10193 \pm 101$	$16829 \pm 130$
Continuum background (scaled)	$3656 \pm 84$	$6471 \pm 114$
Fake $e$ background	$212 \pm 40$	$308 \pm 58$
Fake $p$ background	$1872 \pm 159$	$2859 \pm 243$
Background subtracted distribution	$4453 \pm 210$	$7191 \pm 304$

$e^-$ ,  $\bar{\nu}_e$  and a  $(\Lambda_c \bar{p})$  pseudo-particle. At the second step, the pseudo-particle decays into two particles:  $\Lambda_c$  and  $\bar{p}$ , ignoring any possible spin correlation. The same mechanism is used to generate the other decay modes, the only difference being that the intermediate state pseudo-particle in the V-A model is varied. The phase space model used is simply a four-body  $B$  decay, with all the final state particles generated at one step. The subsequent CLEO detector simulation is GEANT based [16].

In the V-A model, the mass of the pseudo-particle could affect the angular distribution between  $e$  and  $\bar{p}$  and the electron and antiproton momentum distributions. In the standard CLEO Monte Carlo event generator, the mass spectrum of the pseudo-particle  $(\Lambda_c \bar{p})$  is generated as a phase space modified Breit Wigner distribution, with a central mass of  $3.35 \text{ GeV}/c^2$ , and a width of  $0.50 \text{ GeV}/c^2$ , as shown in Figure 2(a). This pseudo-particle  $(\Lambda_c \bar{p})$  mass spectrum reproduces the measured inclusive  $B \rightarrow \Lambda_c X$  and  $B \rightarrow pX$  momentum spectra [17]. In order to allow the possibility of a lower efficiency, we examine two-body decays into the baryon/antibaryon system  $X_c \bar{N}$ . We have analyzed the  $\cos(\theta)$  distributions from the following decay modes:  $B^- \rightarrow \Lambda_c^+ \bar{p} e^- \bar{\nu}_e$ ,  $B^- \rightarrow \Sigma_c^+ \bar{p} e^- \bar{\nu}_e$ ,  $\bar{B}^0 \rightarrow \Sigma_c^{++} \bar{p} e^- \bar{\nu}_e$ ,  $B^- \rightarrow \Sigma_c^{++} \bar{\Delta}^- e^- \bar{\nu}_e$ ,  $\bar{B}^0 \rightarrow \Sigma_c^{++} \bar{\Delta}^- e^- \bar{\nu}_e$ ,  $B^- \rightarrow \Sigma_c^0 \bar{\Delta}^0 e^- \bar{\nu}_e$ ,  $B^- \rightarrow \Sigma_c^+ \bar{\Delta}^- e^- \bar{\nu}_e$  and  $\bar{B}^0 \rightarrow \Sigma_c^+ \bar{\Delta}^0 e^- \bar{\nu}_e$ . The decay mode  $\bar{B}^0 \rightarrow \Sigma_c^{++} \bar{\Delta}^- e^- \bar{\nu}_e$  provides the softest lepton momentum spectrum and therefore the smallest efficiency for this analysis  $(13.5 \pm 0.2)\%$ . The efficiency is calculated for modes with a  $\bar{p}$  in the final state. The efficiency from the decay mode  $B^- \rightarrow \Lambda_c^+ \bar{p} e^- \bar{\nu}_e$  is the highest at  $(20.7 \pm 0.1)\%$ . For comparison, the pseudo-particle  $(\Sigma_c^{++} \bar{\Delta}^-)$  mass spectrum which was generated with a central mass of  $3.85 \text{ GeV}/c^2$ , a width of  $0.50 \text{ GeV}/c^2$ , and a threshold mass of  $3.68 \text{ GeV}/c^2$ , is also shown in Figure 2(a). Figure 2(b) shows the angular distribution of signal  $e/\bar{p}$  combinations for the two modes. For the signal model, we combine these two modes in equal ratios and bracket the model dependence by choosing a model with 100% of either of the two decay modes.

Figure 3 compares the V-A and phase space models for the  $B^- \rightarrow p \bar{p} e^- \bar{\nu}_e$  decay mode. It shows that the two Monte Carlo models give significantly different angular distributions for the  $e/\bar{p}$  combinations in this decay. We choose the phase space model to bracket the possible efficiencies and angular distributions of various models.

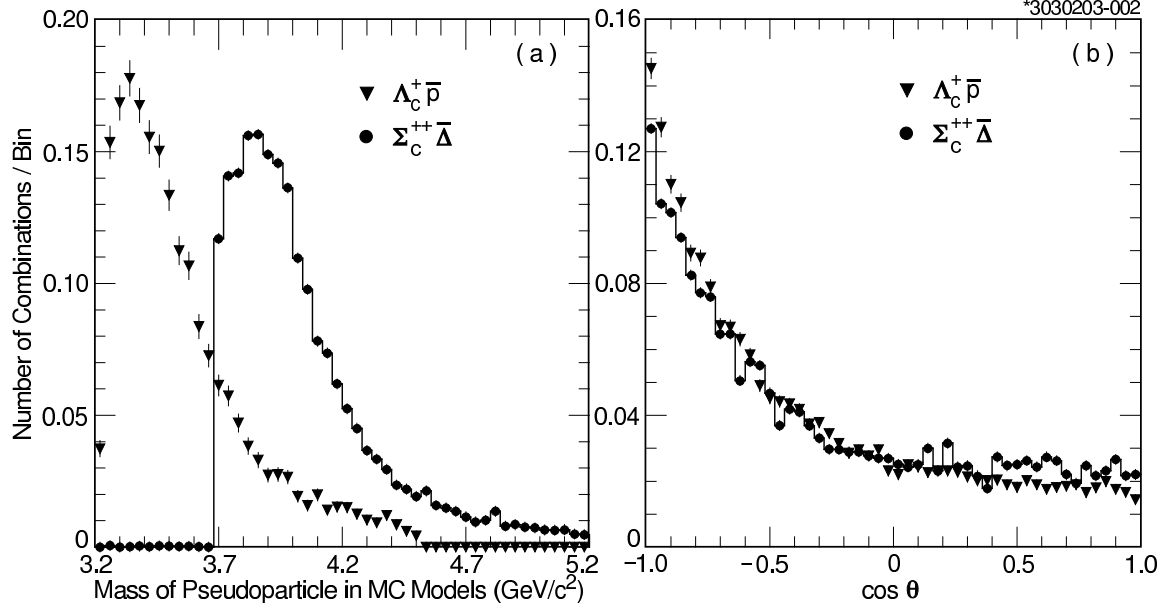


FIG. 2: Comparison of signal Monte Carlo models for  $B^- \rightarrow \Lambda_c^+ \bar{p} e^- \bar{\nu}_e$  and  $\bar{B}^0 \rightarrow \Sigma_c^{++} \bar{\Delta}^- e^- \bar{\nu}_e$ . Plot (a) displays the invariant mass of pseudo-particle ( $\Lambda_c^+ \bar{p} / \Sigma_c^{++} \bar{\Delta}^-$ ). Plot (b) displays the  $\cos(\theta)$  distributions of  $e/\bar{p}$  combinations. The black triangles show the expectations for the  $B^- \rightarrow \Lambda_c^+ \bar{p} e^- \bar{\nu}_e$  decay and the histogram with error bars shows the  $\bar{B}^0 \rightarrow \Sigma_c^{++} \bar{\Delta}^- e^- \bar{\nu}_e$  decay mode. For the sake of comparison, the distributions have been normalized to unit area.

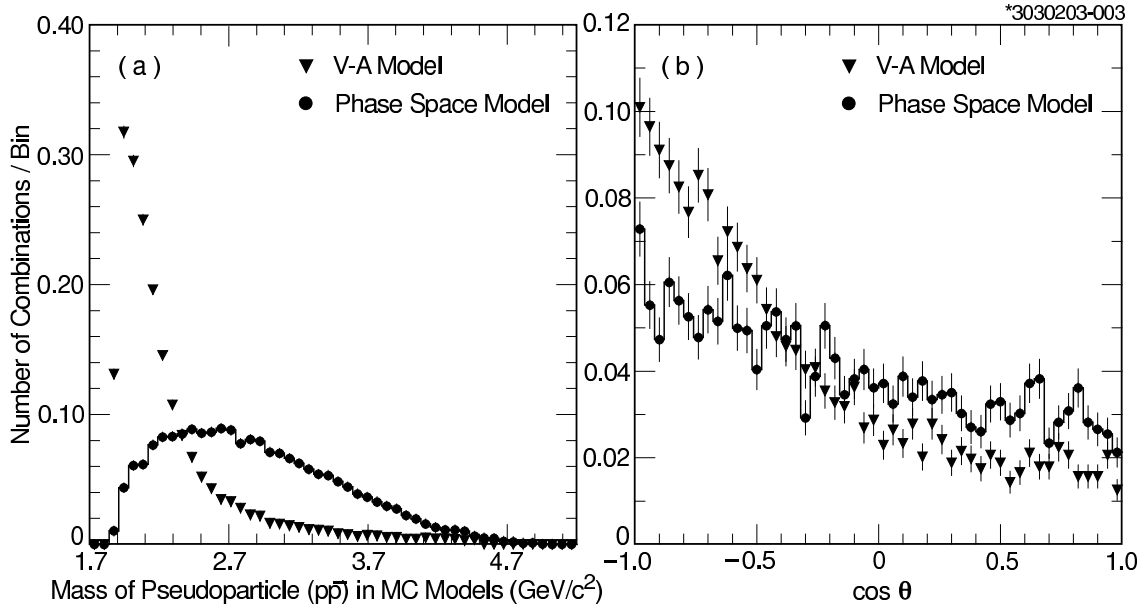


FIG. 3: Comparison of two signal Monte Carlo models for  $B^- \rightarrow p \bar{p} e^- \bar{\nu}_e$  decay. Plot (a) displays the invariant mass of pseudo-particle ( $p \bar{p}$ ). Plot (b) displays the  $\cos(\theta)$  distributions of  $e/\bar{p}$  combinations for the 2 models considered. The black triangles show the expectations from the V-A model, while the histogram shows the expected distribution for the phase space model. For the sake of comparison, the distributions have been normalized to unit area.



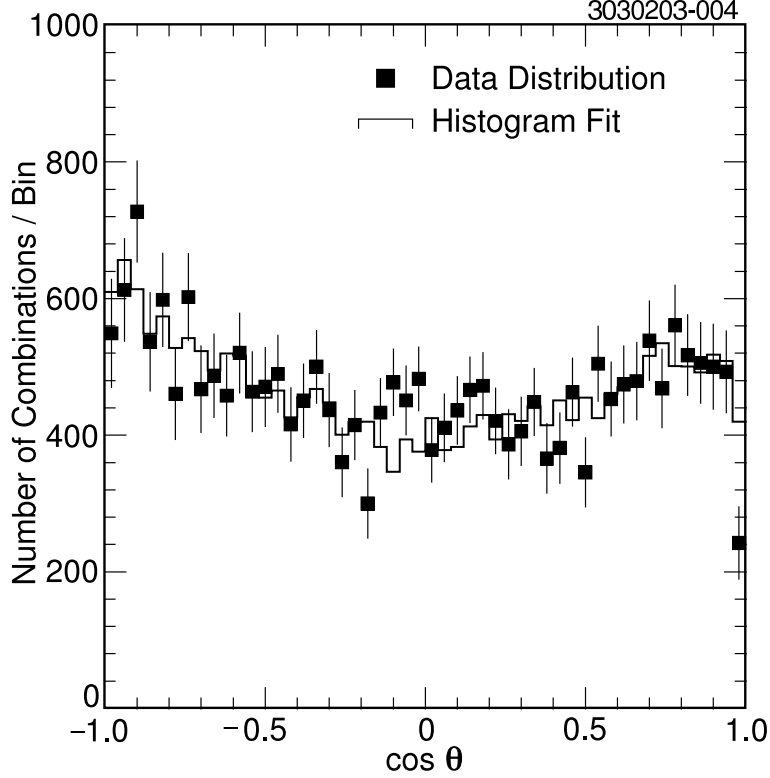


FIG. 4: The  $\cos(\theta)$  distributions found in data after subtracting the continuum, fake electron, and fake antiproton backgrounds. The plot shows the fit to the combined CLEO II and CLEO II.V datasets using Monte Carlo distributions for the  $b \rightarrow c$  signal (as discussed in the text), correlated background and uncorrelated background. The confidence level of the fit is 29%.

#### IV. SEARCH FOR $b \rightarrow c$ DECAYS

The  $\cos(\theta)$  distributions for  $e/\bar{p}$  combinations after subtracting the continuum, fake electron, and antiproton backgrounds are shown in Figure 4 along with the results of the fit. In the fit, we use the shapes obtained from Monte Carlo (Figure 1(a)(b)(c) and Figure 2(b)) and allow each of the normalizations of the three components to float independently. Table II gives the results from the fit. There is no evidence for a signal so we calculate an upper limit. From the fit we find  $\mathcal{B}(B \rightarrow \bar{p}e^-\bar{\nu}_e X) = (2.5 \pm 1.9 \pm 1.1 \pm 1.4) \times 10^{-4}$ , corresponding to a 90% *C.L.* upper limit of  $\mathcal{B}(B \rightarrow \bar{p}e^-\bar{\nu}_e X) < 5.9 \times 10^{-4}$ . The last error is the model dependence error found from varying the composition of light-mass states with higher resonance states.

Table III summarizes the systematic errors. The systematic errors include those associated with each of the backgrounds: correlated, uncorrelated, fake proton and fake electron, as described in more detail below. The two largest errors come from the fake proton subtraction and variations allowed in the uncorrelated background.

The correlated background (Figure 1(c)) has a similar shape to that of the signal. To calculate a conservative systematic error from this source, we refit the data assuming no correlated background exists and take the difference between the central value in this fit and the original.

The uncorrelated background systematic error is found from a combination of normal-

TABLE II: Results from the fits for the  $B \rightarrow \bar{p}e^-\bar{\nu}_e X$  analysis using a 50% - 50% mix of two decay modes:  $B^- \rightarrow \Lambda_c^+ \bar{p}e^-\bar{\nu}_e$  and  $\bar{B}^0 \rightarrow \Sigma_c^{++} \bar{\Delta}^- e^-\bar{\nu}_e$ . The first row shows the number of signal events found, with the statistical error determined from the fit and systematic errors determined as discussed in the text. The second and third rows show correlated and uncorrelated backgrounds from the fit, respectively. The result is presented with the statistical, systematic, and model dependence errors in the sixth row. These errors are combined in quadrature to obtain the upper limit listed in the last row.

Event Type	Events
Signal events (fit)	$834 \pm 634 \pm 380$
Correlated background (fit)	$-331 \pm 1729$
Uncorrelated background (fit)	$11141 \pm 1303$
Avg. Efficiency from Monte Carlo	$(17.1 \pm 0.1)\%$
Efficiency corrected data	$4877 \pm 3708 \pm 2224$
$\mathcal{B}(B \rightarrow \bar{p}e^-\bar{\nu}_e X)$	$(2.5 \pm 1.9 \pm 1.1 \pm 1.4) \times 10^{-4}$
Upper Limit of $\mathcal{B}$ (90% <i>C.L.</i> )	$5.9 \times 10^{-4}$

TABLE III: Systematic errors for the measurement of  $B \rightarrow \bar{p}e^-\bar{\nu}_e X$ . These are the contributions to the systematic error listed on the first line of Table II

Systematic Error	Events
Correlated background	$\pm 98$
Uncorrelated background	$\pm 183$
Fake proton background subtraction	$\pm 299$
Fake electron background subtraction	$\pm 29$
Proton identification efficiency	$\pm 75$
Electron identification efficiency	$\pm 25$
Vertex constrained fit efficiency	$\pm 63$
Signal Monte Carlo sample statistics	$\pm 33$
Total	$\pm 380$

ization and shape errors. If we assume there is no signal or correlated background, we can scale the Monte Carlo normalization by the number of events and compare it with the data. There are a total of 16% fewer data events than in the scaled Monte Carlo; we use this difference to account for the normalization error. The angular distribution of the uncorrelated background is expected to be flat in the absence of acceptance effects (see Figure 1(b)). However, as we only accept tracks in the barrel region of the detector, *i.e.*  $|\cos(\theta_{dip})| < 0.71$ , the  $e/\bar{p}$  combinations passing the cuts have slightly higher probability to come from the two opposite barrel regions. Therefore, the Monte Carlo angular distribution of this background is peaked towards  $\cos(\theta) \simeq \pm 1$ . Because of finite spatial segmentation effects, two tracks very close together have a slightly lower efficiency than those that are more back-to-back diminishing the peak near  $\cos(\theta) = 1$ . We change the shape in the uncorrelated background to a symmetric distribution and fit again; the difference in the fitted central values is 30%. We take half of this “shape” difference (15%) and combine it in quadrature with the normalization difference to find an overall systematic error for the uncorrelated background of

22%.

We study additional systematic errors from the fake proton background subtraction by comparing the  $|\vec{P}_{\bar{p}}| + |\vec{P}_e|$  distribution in data and Monte Carlo. Figure 5 shows that in the  $|\vec{P}_{\bar{p}}| + |\vec{P}_e|$  region above 2.5 GeV/c, the backgrounds remaining are limited to the fake proton and the uncorrelated background. A Monte Carlo study shows that there are no  $B^- \rightarrow \Lambda_c^+ \bar{p} e^- \bar{\nu}_e$  signal events in this region in any scenario. The fake electron background is very small compared to the fake proton background as seen in Figure 5(a). Therefore, in the region above (2.5–3.0) GeV/c, if we use the scaled Monte Carlo to subtract the uncorrelated background, the remaining  $|\vec{P}_{\bar{p}}| + |\vec{P}_e|$  data distribution should be saturated by the predicted fake proton background (as shown in Figure 5(b)). We estimate the systematic error from the fake proton background subtraction from the deviation from complete saturation. The fit gives a difference in normalization of  $\sim 15\%$  between the amount of predicted fake proton background and that obtained for the best fit to the data, which implies that the fake proton background may be systematically wrong by  $\sim 15\%$ . We then shift the fake antiproton background normalization by  $\pm 15\%$  and redo the fit to the final  $e/\bar{p}$  angular distribution. The difference between the central values obtained from the new fit vs. the original fit is taken as the systematic error for the fake antiproton background subtraction. For the systematic error from misidentified electrons, studies using real pions and kaons in data have been done which determine the errors on the fake probabilities. These fake probability errors and the error associated with using an antielectron identification cut for counting tracks in the data are folded together to combine for an estimate of  $\pm 20\%$  from this source. This technique is confirmed using a Monte Carlo test which verifies that the number of misidentified particles calculated is consistent with the number generated, and that a 20% error is a conservative estimate. To calculate the effect on our data sample, we shift the fake electron background normalization by  $\pm 20\%$ , redo the fits and take the difference between the new fit and the original fit as the systematic error from this source.

In addition, errors are added to account for uncertainties in the antiproton and electron identification efficiency differences between Monte Carlo and data. The antiproton identification efficiency is found using an antiproton data sample from  $\bar{\Lambda} \rightarrow \bar{p}\pi$  in continuum data, as a function of momentum. The momentum spectrum for protons in our Monte Carlo signal sample is used to weight these efficiencies. The overall error from this source is estimated to be 9%. Similarly, for electrons, a CLEO study using radiative Bhabha events in the data itself has determined an overall error of 3%.

The error from the continuum background subtraction is statistical, determined by the size of the data sample, and is directly incorporated into the final statistical error, as is the statistical error due to the limited Monte Carlo sample size. There is also an error due to the systematics associated with the constrained vertex fit. This is taken to be half of the inefficiency found from the signal Monte Carlo sample with and without the cut (7.5%).

## V. SEARCH FOR THE $b \rightarrow u$ DECAY $B^- \rightarrow p\bar{p}e^-\bar{\nu}_e$

We can also fit the  $e/\bar{p}$  angular distribution to the  $b \rightarrow u$  signal decay channel  $B^- \rightarrow p\bar{p}e^-\bar{\nu}_e$ . Figure 3 shows that the two Monte Carlo generator models give quite different signal  $e/\bar{p}$  angular distributions for this decay mode. Figure 6 shows the fits to the CLEO II and CLEO II.V  $\cos(\theta)$  distributions, assuming signal events are entirely from  $B^- \rightarrow p\bar{p}e^-\bar{\nu}_e$

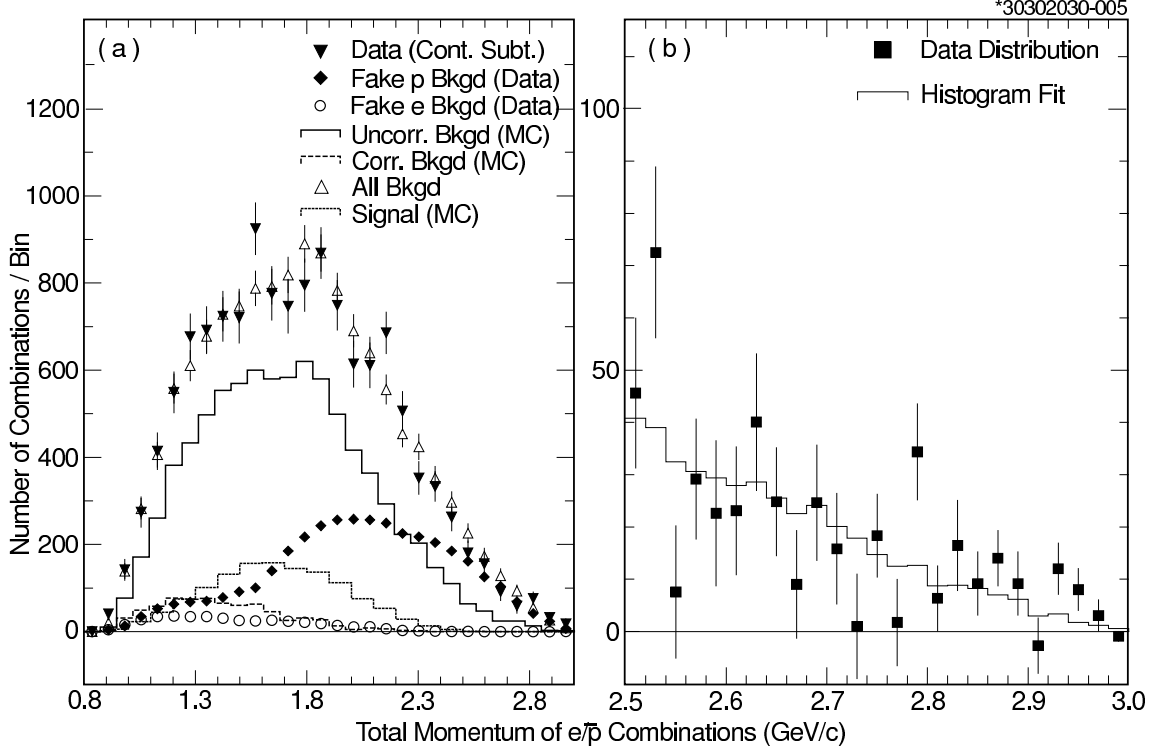


FIG. 5: CLEO II Data/Monte Carlo  $|\vec{P}_p| + |\vec{P}_e|$  distribution. Plot (a) shows the total momentum sum of the electron and antiproton tracks, from different data and Monte Carlo components. The components include: 1) fake proton background from data (black diamonds); 2) fake electron background from data (asterisks); 3) uncorrelated background from Monte Carlo (solid line), and 4) correlated background from Monte Carlo (dashed line). The outermost empty triangles represent the sum of all the above backgrounds. The filled black triangles show the overall data distribution, with the continuum background subtracted. Plot (b) is the fit to the final data distribution (continuum and uncorrelated background subtracted), using the fake proton background distribution in the region above 2.5 GeV/c.

decay, where the signal Monte Carlo events are obtained using the V-A model generator. We see no evidence for a  $b \rightarrow u$  signal from this decay mode. Table IV gives the results based on the V-A model. Systematic errors are calculated using the same procedures described above, for the  $b \rightarrow c$  analysis. We obtain the branching ratio  $\mathcal{B}(B^- \rightarrow p\bar{p}e^-\bar{\nu}_e) = (5.8 \pm 3.7 \pm 3.6) \times 10^{-4}$ , corresponding to a 90% *C.L.* upper limit of  $\mathcal{B}(B^- \rightarrow p\bar{p}e^-\bar{\nu}_e) < 1.2 \times 10^{-3}$ . For the phase space model, combining the CLEO II and CLEO II.V datasets, we obtain a branching ratio of  $\mathcal{B}(B^- \rightarrow p\bar{p}e^-\bar{\nu}_e) = (2.6 \pm 1.1 \pm 1.6) \times 10^{-3}$ , corresponding to an upper limit of  $\mathcal{B}(B^- \rightarrow p\bar{p}e^-\bar{\nu}_e) < 5.2 \times 10^{-3}$  (90% *C.L.*).

## VI. CONCLUSION

The angular distribution between electrons and antiprotons has been studied to search for semileptonic baryon decays from  $B$  mesons. The analysis was optimised to search for the  $b \rightarrow c$  decay  $B^- \rightarrow \Lambda_c^+ \bar{p} e^- \bar{\nu}_e$ . For the  $b \rightarrow c$  modes, we use a (50%-50%) mixture

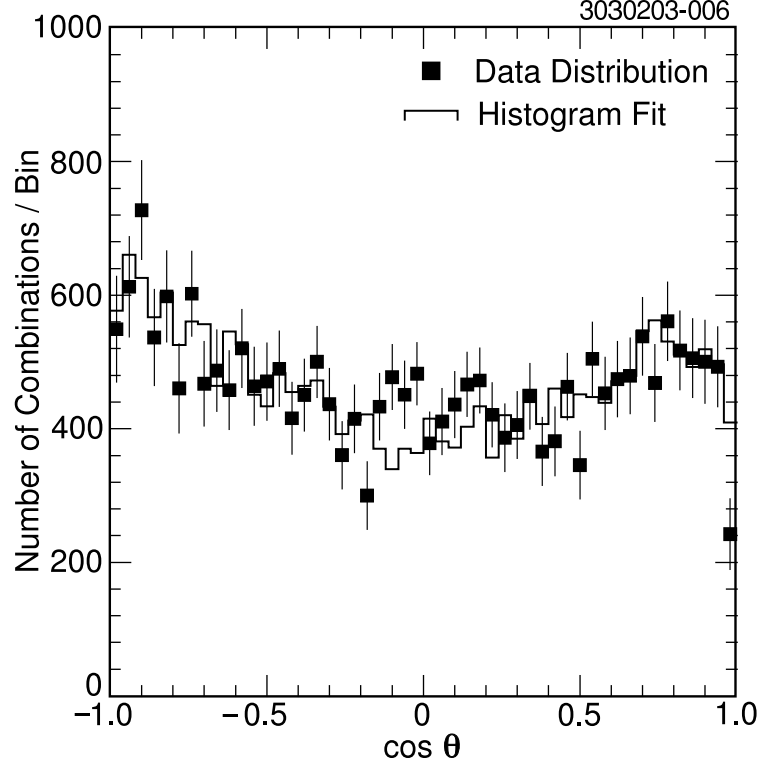


FIG. 6: The  $\cos(\theta)$  distributions found in data after subtracting the continuum, fake electron, and fake antiproton backgrounds. The plot shows the fit using a  $b \rightarrow u$  signal model ( $B^- \rightarrow p\bar{p}e^-\bar{\nu}_e$ ). The confidence level for the fit is 34.5%. Note that the only difference between this Figure and Figure 4 is the simulated signal shape.

TABLE IV: Results from the fits for the  $B^- \rightarrow p\bar{p}e^-\bar{\nu}_e$  analysis using the V-A model. The first row shows the number of signal events found, with the statistical error determined from the fit and systematic errors determined as discussed in the text. The second and third rows show correlated and uncorrelated backgrounds from the fit, respectively. “Efficiency corrected data” are results found using the V-A signal Monte Carlo generator model. The statistical and systematic errors are combined in quadrature for the final result.

Event Type	CLEO II and CLEO II.V datasets
Signal events (fit)	$1685 \pm 1068 \pm 1032$
Correlated background (fit)	$-2665 \pm 2937$
Uncorrelated background (fit)	$12624 \pm 1991$
Efficiency from Monte Carlo	$(14.9 \pm 0.2)\%$
Efficiency corrected data	$11309 \pm 7169 \pm 6930$
$\mathcal{B}(B^- \rightarrow p\bar{p}e^-\bar{\nu}_e)$	$(5.8 \pm 3.7 \pm 3.6) \times 10^{-4}$
Upper Limit of $\mathcal{B}$ (90% C.L.)	$1.2 \times 10^{-3}$

of  $B^- \rightarrow \Lambda_c^+ \bar{p} e^- \bar{\nu}_e$  and  $\bar{B}^0 \rightarrow \Sigma_c^{++} \bar{\Delta}^- e^- \nu_e$  signal modes and perform a fit to the angular distribution. We see no evidence for a signal and measure an upper limit at 90% *C.L.*, combining the CLEO II and CLEO II.V data samples together, of

$$\mathcal{B}(B \rightarrow \bar{p} e^- \bar{\nu}_e X) < 5.9 \times 10^{-4} \quad (\text{V} - \text{A model}).$$

These results are an improvement upon the previous limits [11, 12], in support of their conclusion that the semileptonic decay of  $B$  mesons into baryons is not large enough to cover the discrepancy in the  $B$  meson semileptonic branching ratio between theoretical prediction and experimental measurements [4, 6]. In particular, these results show that charmed baryon production in semileptonic  $B$  decay is less than 1.2% of all semileptonic  $B$  decays, as compared with  $\Lambda_c$  production in generic  $B$  decays at  $(6.4 \pm 1.1)\%$  [7]. The results also suggest that the dominant mechanism for baryon production in generic  $B$  decays is not external  $W$  emission.

We also searched for the  $b \rightarrow u$  decay  $B^- \rightarrow p \bar{p} e^- \bar{\nu}_e$ . We obtain the following upper limits at 90% *C.L.* for each of the models:

$$\begin{aligned} \mathcal{B}(B^- \rightarrow p \bar{p} e^- \bar{\nu}_e) &< 1.2 \times 10^{-3} & (\text{V} - \text{A}) \\ &< 5.2 \times 10^{-3} & (\text{phase space}). \end{aligned}$$

These limits do not constrain any theories at this time.

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